

GUJARAT TECHNOLOGICAL UNIVERSITY**M. E. - SEMESTER – II • EXAMINATION – SUMMER • 2014****Subject code: 1724301****Date: 16-06-2014****Subject Name: Finite Element Method in Geo Technical Engineering****Time: 02:30 pm - 05:00 pm****Total Marks: 70****Instructions:**

1. Attempt all questions.
2. Make suitable assumptions wherever necessary.
3. Figures to the right indicate full marks.

- Q.1 (a)** Explain in detail: **07**
 (i) Pascal's triangle (ii) Discretization
- (b)** Write K matrix for following elements: **07**
 (i) Two noded Bar (ii) Plane Truss (iii) Beam
- Q.2 (a)** For a spring assembly shown in fig-1 . Calculate **07**
 Displacements at node 2 & 3 and Reactive forces
- (b)** Coarse gravelly medium is having fluid head at top is 20 cm & at bottom is 2 **07**
 cm as shown in fig. 2. Take Permeability Coefficient 1 cm/sec.
 Use two noded & three elements. Determine
 (i) The fluid head distribution along the length
 (ii) The velocity in each element
- OR**
- (b)** Derive K_{22} element of stiffness matrix for three noded bar element. **07**
- Q.3** A bar is subjected to uniformly distributed load of 5 kN/m along the length as **14**
 shown in fig.3 Find nodal displacements & element stresses considering,
 (i) 2 noded = 2 elements
 (ii) 3 noded = 1 elements
 Take $A=600 \text{ mm}^2$ and $E=200 \text{ GPa}$
- OR**
- Q.3** For the beam shown in Fig.4, Determine the slope and deflection at C. **14**
 $E = 200 \text{ GPa}$ and $I = 4.0 \times 10^6 \text{ mm}^4$. Take two elements.
- Q.4** For the plane truss shown in fig.5, determine the nodal displacements and **14**
 stresses in each element. All elements have $E = 200 \text{ GPa}$ and $A = 2000 \text{ mm}^2$.
- OR**
- Q.4** For a thin plate shown in fig. 6, determine the deflections at node 1 and 2. **14**
 Also find out stresses in the elements considering two elements.
 Take plane stress condition, $t=10 \text{ mm}$, $E=70000 \text{ MPa}$, $\nu = 0.3$.
- Q.5 (a)** List and draw, the shape functions and its variation, for four noded plate **07**
 element. Use Natural co-ordinate system.
- (b)** Derive strain displacement matrix for axisymmetric element. **07**
- OR**
- Q.5 (a)** Calculate the displacement at free end for a bar with uniformly varying area as **07**
 shown in fig7. Treat it as a single element.
- (b)** Derive & draw the shape function & its variation, for two noded and three **07**
 noded bar element. Use Natural co-ordinate.

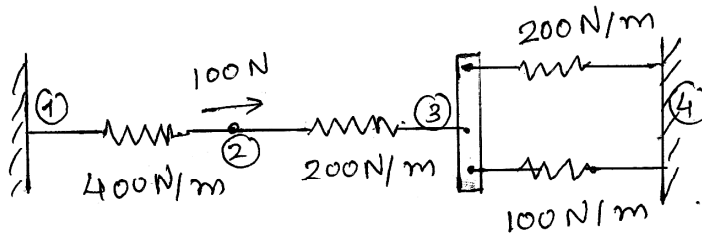


Fig. 1

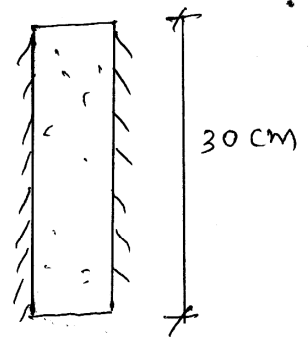


Fig. 2

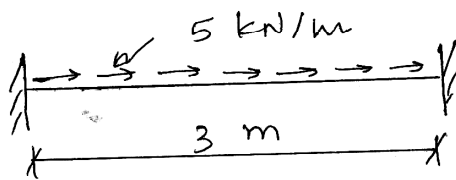


Fig. 3

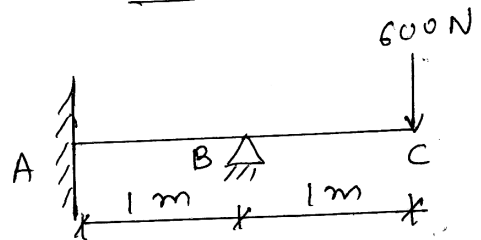


Fig. 4

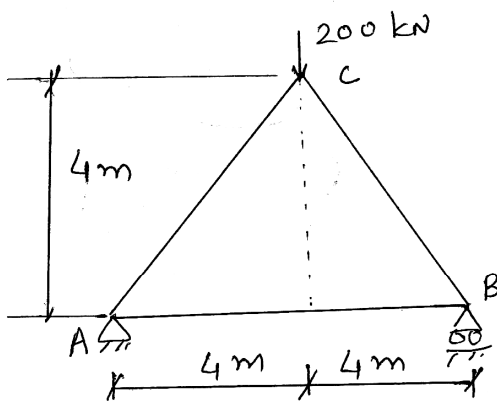


Fig. 5

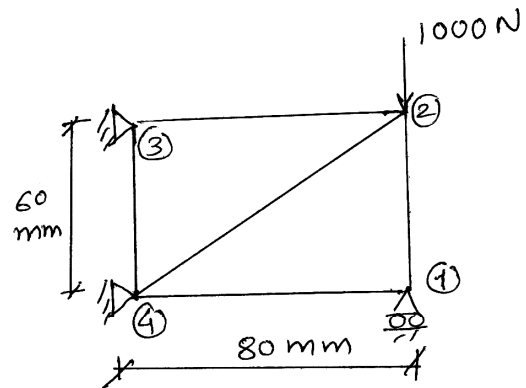


Fig. 6

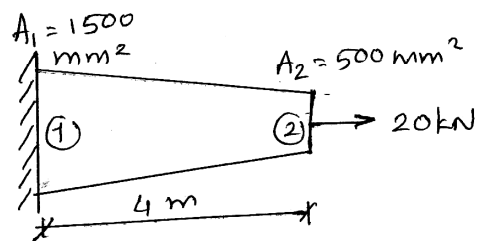


Fig. 7
